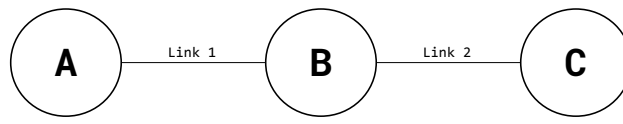


## 1 True or False

- (1) On a fast cross-continental link ( $\approx 100\text{Gbps}$ ), *propagation delay* usually dominates *end-to-end packet delay* (Most messages are smaller than 100MB).
  
  
  
  
  
  
  
  
  
  
- (2) On the same cross-continental link ( $\approx 100\text{Gbps}$ ), when transferring a 100GB file, *propagation delay* still dominates end-to-end file delivery.
  
  
  
  
  
  
  
  
  
  
- (3) On-demand circuit-switching is adopted by the Internet.
  
  
- (4) The aggregate (i.e., sum) of peaks is usually much larger than peak of aggregates in terms of bandwidth usage.
  
  
- (5) Bursty traffic (i.e., when packet arrivals are not evenly spaced in time) always leads to queuing delays.

## 2 End-to-End Delay

Consider the diagram below. Link 1 has length  $L_1$  m (where m stands for meters) and allows packets to be propagated at speed  $S_1 \frac{\text{m}}{\text{sec}}$ , while Link 2 has length  $L_2$  m but it only allows packets to be propagated at speed  $S_2 \frac{\text{m}}{\text{sec}}$  (because two links are made of different materials). Link 1 has transmission rate  $T_1 \frac{\text{bits}}{\text{sec}}$  and Link 2 has transmission rate  $T_2 \frac{\text{bits}}{\text{sec}}$ .



Assuming nodes can send and receive bits at full rate and ignoring processing delay, consider the following scenarios:

(1) How long would it take to send a packet of 500 Bytes from Node *A* to Node *B* given  $T_1 = 10000$ ,  $L_1 = 100000$ , and  $S_1 = 2.5 \cdot 10^8$ ?

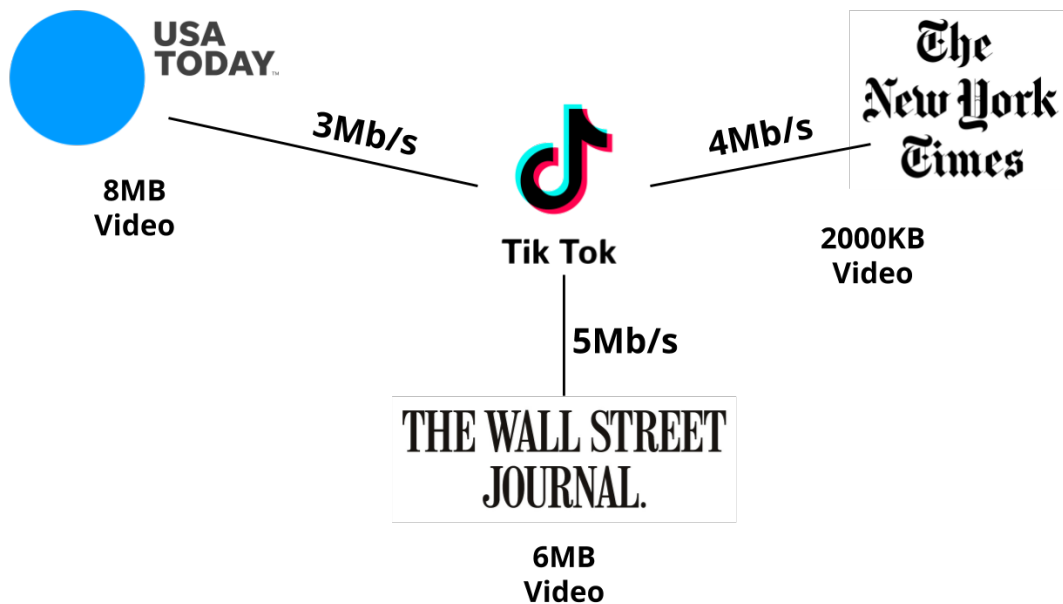
(2) Compute RTT (round trip time) for a packet of *B* Bytes sent from Node *A* to Node *C* (packet gets transmitted back from Node *C* immediately after Node *C* receives it).

(3) At time 0, Node *A* sends packet  $P_1$  with  $D_1$  Bytes and then it sends another packet  $P_2$  with  $D_2$  Bytes immediately after it pushes all bits of  $P_1$  onto Link 1. When will Node *C* receive the last bit of  $P_2$ ?

(4) Find the variable relations that need to be satisfied in order to have no queuing delays for part (c).

### 3 First one to TikTok wins!

As you may know, the Washington Post has a pretty spicy TikTok account. Execs at the New York Times, the Wall Street Journal, and USA Today have also noticed the Post's success and want to promote their brand on the platform. Each organization has filmed a take on the 9 to 5 challenge video to use as their first upload to TikTok. They are all waiting for the perfect moment to post.



Upon seeing the perfect opportunity, all three organizations begin uploading their video at almost the same time (within 3-seconds of each other). If we assume that propagation time is negligible, which news organization will be the first to publish their video (and ultimately become #1 trending on TikTok)?

## 4 Statistical Multi-What?

Consider three flows ( $F_1, F_2, F_3$ ) sending packets over a single link. The sending pattern of each flow is described by how many packets it sends within each one-second interval; the table below shows these numbers for the first ten intervals. A perfectly smooth (i.e., non-bursty) flow would send the same number of packets in each interval, but our three flows are very bursty, with highly varying numbers of packets in each interval:

Time (s)	1	2	3	4	5	6	7	8	9	10
$F_1$	1	8	3	15	2	1	1	34	3	4
$F_2$	6	2	5	5	7	40	21	3	34	5
$F_3$	45	34	15	5	7	9	21	5	3	34

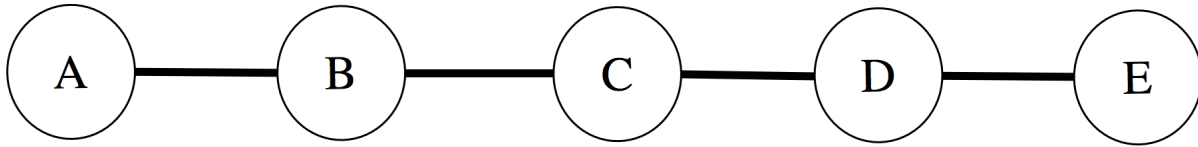
(Questions on next page)

(1) What is the peak rate of  $F_1$ ?  $F_2$ ?  $F_3$ ? What is the sum of the peak rates?

(2) Now consider all packets to be in the same aggregate flow. What is the peak rate of this aggregate flow?

(3) Which is higher - the sum of the peaks, or the peak of the aggregate?

## 5 Plenty of Packets



Let's suppose we have three packets ( $P_1, P_2, P_3$ ) of size  $x, y, z$  bytes respectively. We want to send packet  $P_1$  from  $A$  to  $C$  and packets  $P_2$  and  $P_3$  from  $C$  to  $E$ .

Use the following values for all calculations:

$x$	2000 bytes
$y$	500 bytes
$z$	1000 bytes
$L_{AB}$	100 km
$L_{BC}$	50 km
$L_{CD}$	75 km
$L_{DE}$	100 km
$S_{AB}$	$1.5 * 10^8 \frac{m}{s}$
$S_{BC}$	$2 * 10^8 \frac{m}{s}$
$S_{CD}$	$2 * 10^8 \frac{m}{s}$
$S_{DE}$	$1.75 * 10^8$
$T_{AB}$	$5000 \frac{b}{s}$
$T_{BC}$	$8000 \frac{b}{s}$
$T_{CD}$	$10000 \frac{b}{s}$
$T_{DE}$	$7000 \frac{b}{s}$

(1) Will  $P_1$  reach its destination first or will  $P_2$  and  $P_3$  arrive before?

(2) How small would  $P_1$  have to be for it to take longer to send the other two packets?